# Learning Similarity Metrics for Dynamic Scene Segmentation

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### Motivation

Goal: improve video seamentation using motion cues

Challenge: dynamic textures, non-rigid objects/motions (smoke, water, foliage, fire, ...)

Usual approach: optical flow + parametric motion models









#### Proposed approach:

- Spatio-temporal filters to identify motion and changes of appearance Capture rigid/non-rigid motions, brightness changes, flickering effects, ...

  Local measurements: no commitment to early motion interpretation

  Region descriptors from histograms of filter responses

  Used as features in model-free, unsupervised segmentation
- Add supervision to graph-based segmentation via distance learning Large-margin metric learning: separates segments to merge / keep apart Constraints from ground truth segmentations / semantic examples

### Filter-based motion features

Like 2D filters identify oriented structures (edges) in 2D images
3D filters are applied on the video volume of stacked frames

Steered in 3D to particular orientations / velocities

Vertical pattern moving at 0.5 px/trame

Gaussian 3rd derivative
(responds to lines)
and its Hillbert transform
(responds to edges)

Time

Oblique pattern moving up/right

Wy

Filter bank designed to cover frequency spectrum
densely and eventy; multiple orientations, scales, speeds...

# **Segmentation framework**



# Supervised segmentation via distance learning

Unsupervised segmentation = grouping regions with similar features Idea: learn this similarity measure, from 2 types of examples:









Semantically-labelled examples

Hand-drawn segmentations

Replace the <u>unsupervised</u> histogram distance with a <u>learned</u>, generalized Mahalanobis distance:

$$d_L^2(x_1, x_2) = (x_1 - x_2)^{\top} L^{\top} L (x_1 - x_2)$$

#### Constraints

Training segments: features  $x_i$ Pairwise annotations  $y_ij = +1/-1$  $d_L(x_i, x_j) \ll d_L(x_k, x_l)$  $\forall i, j, k, l$  s.t.  $y_{ij} = +1, y_{kl} = -1$ .

Large-margin objective  $\arg\min_{L,t} \sum_{i,j} \max \left[ 1 - y_{ij} (t - d_L^2(x_i, x_j)), 0 \right]$ 

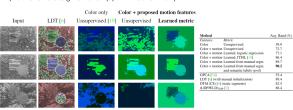
Also integrate dimensionality reduction via linear projection

 $\begin{array}{ll} d_L^2(x_1,x_2) \ = \ (x_1-x_2)^\top L^\top L \ (x_1-x_2) \ = \ || \ (Lx_1-Lx_2) \ ||_2^2 \\ \text{Non-square matrix } L \in \mathbb{R}^{p\times d}, \ p < d \\ \text{Projects } x_i \in \mathbb{R}^d \text{ to a space of lower dimension } \mathbb{R}^p \end{array}$ 

# Leamed distance

## **Experiments**

Dynamic texture seamentation (SynthDB benchmark)



Complex natural scenes (Dyntex dataset)





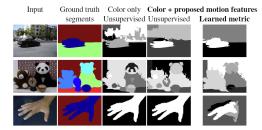








It still works with rigid motions, too !  $\rightarrow$  More generally applicable than e.g. optical flow



→ ~200 filters